

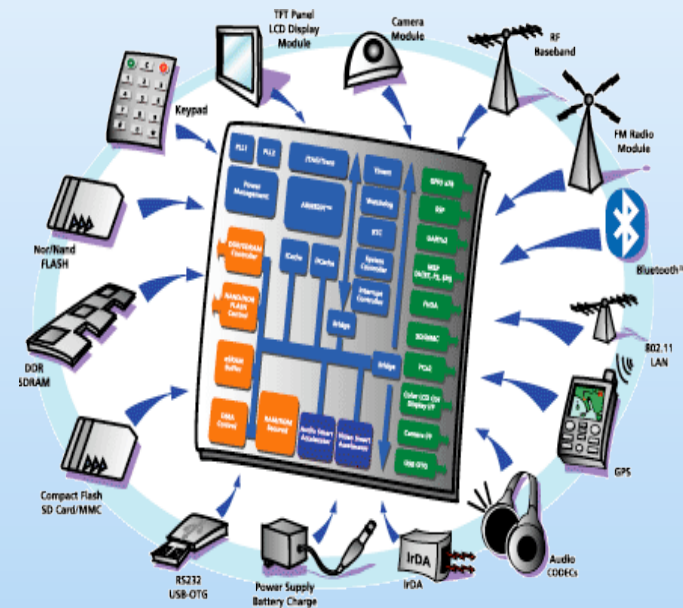
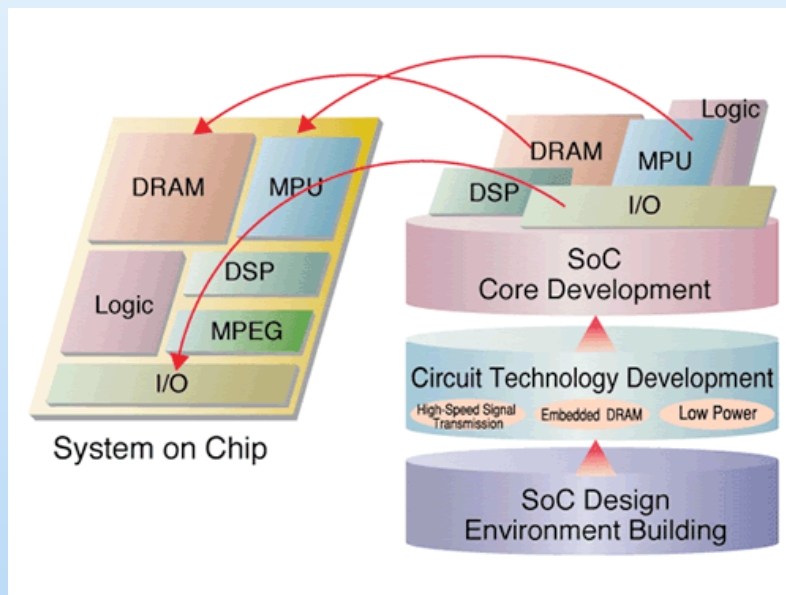


Improving Translation of Live Sequence Charts to Temporal Logic

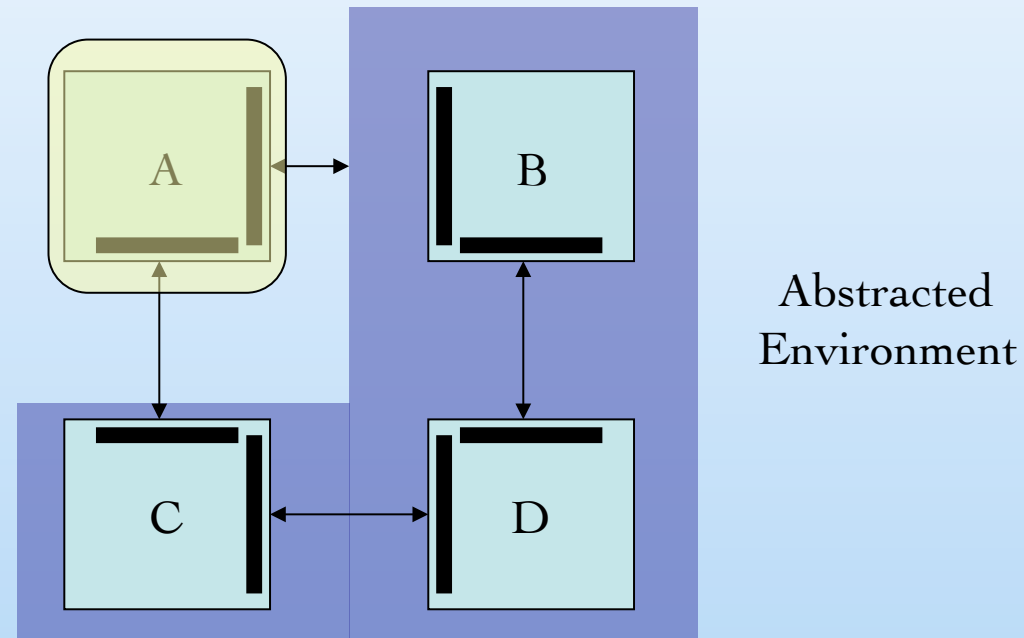
Rahul Kumar Eric Mercer Annette
Bunker

AVOCS 2007

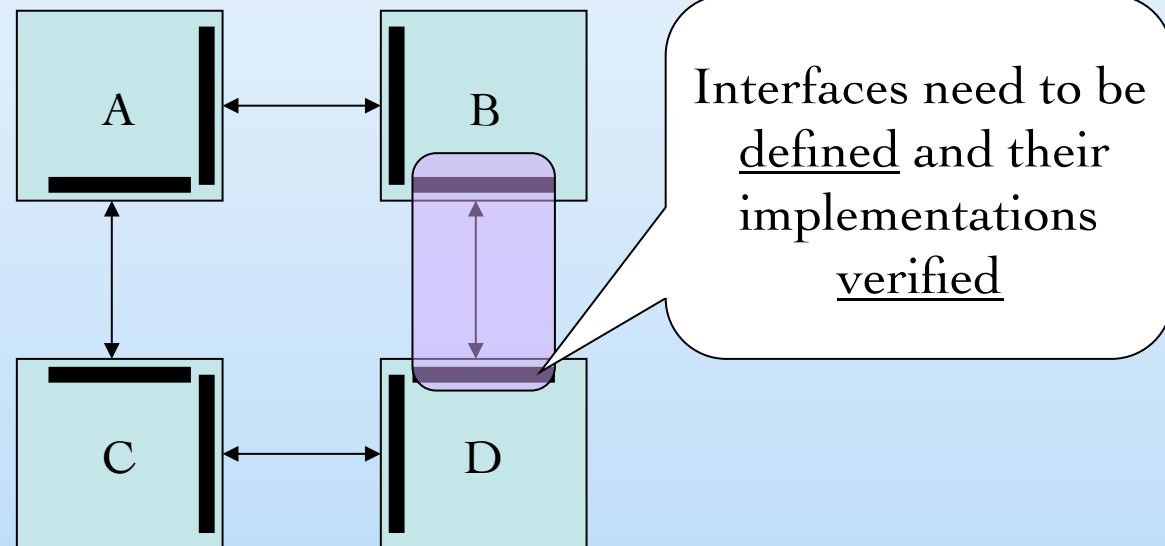
Trends: SoC, Multi-agent Systems



Traditional Testing

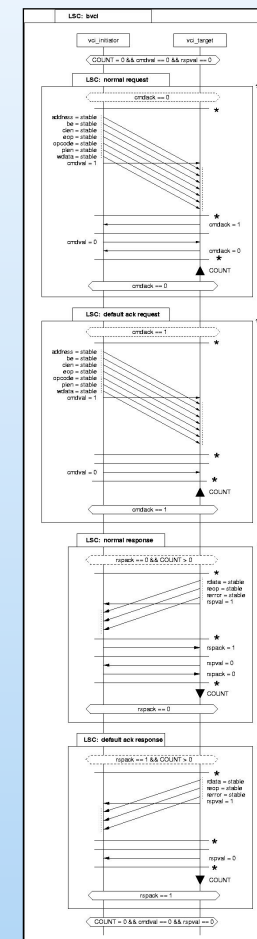
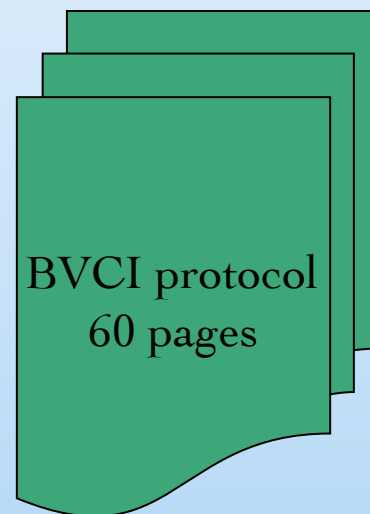


What do IP Core vendors and consumers need?

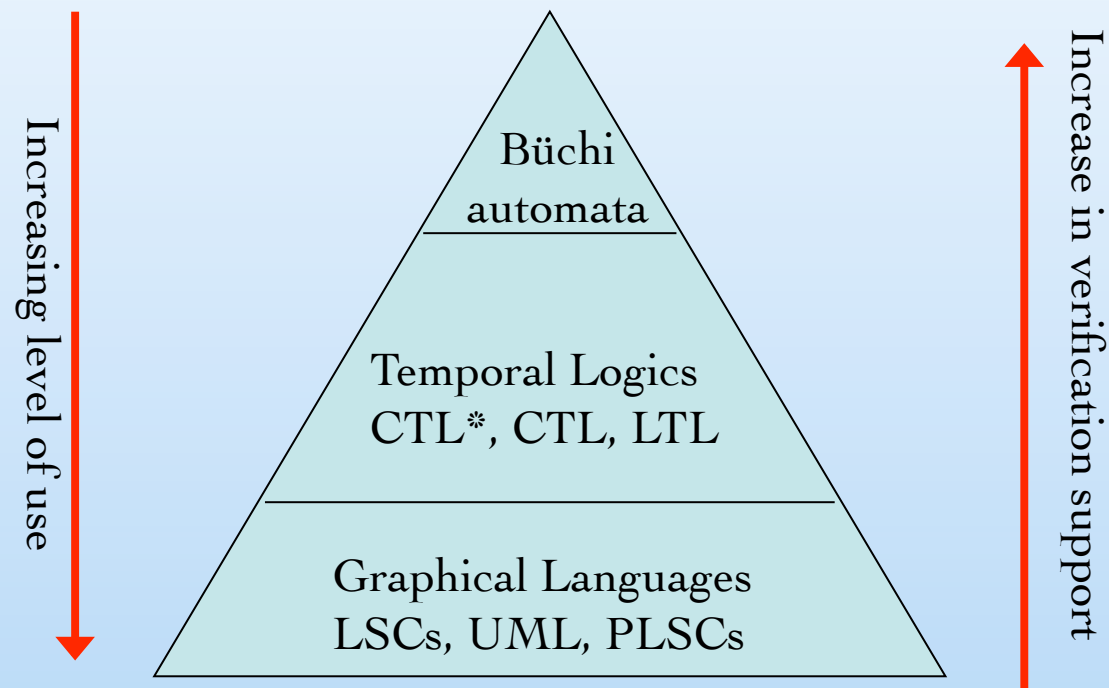


Scenario Based Specifications

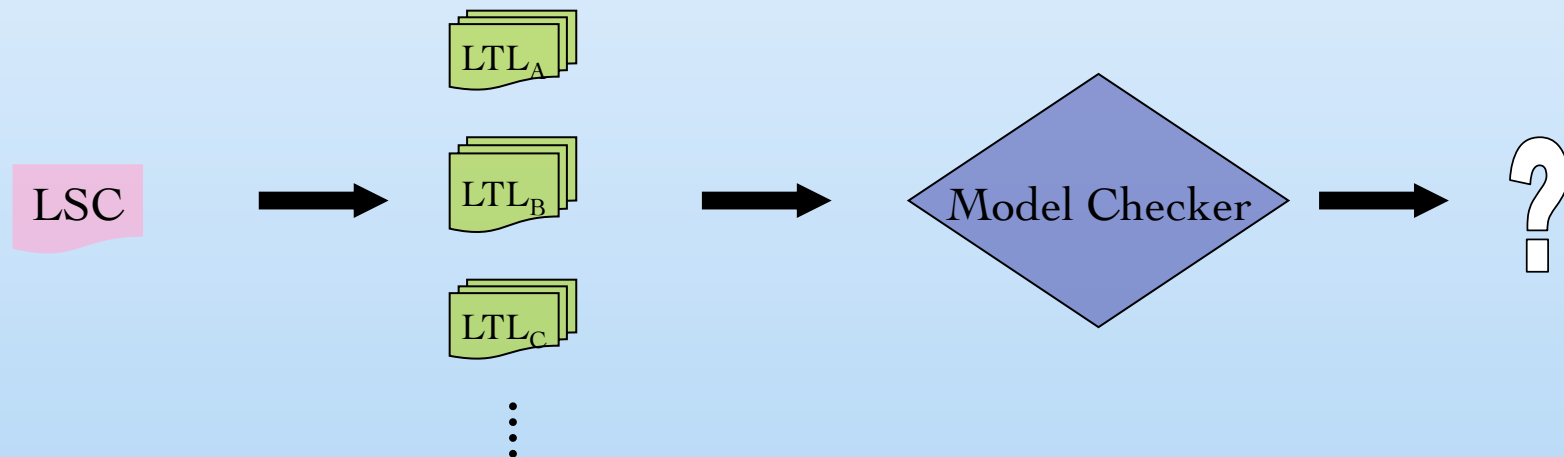
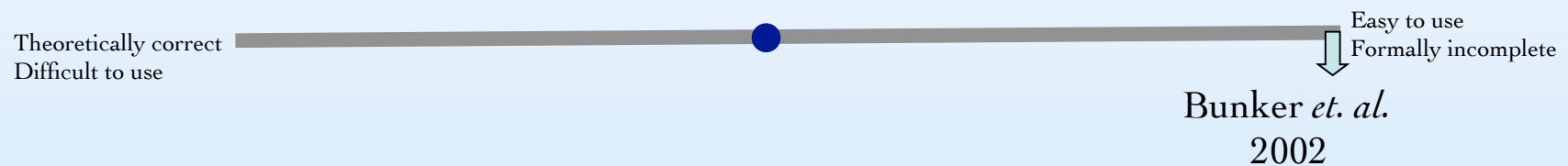
- R.Z. ITU-T 120: Message Sequence Charts
- Damm *et. al.*: Live Sequence Charts
- Bunker *et. al.*: Protocol Live Sequence Charts



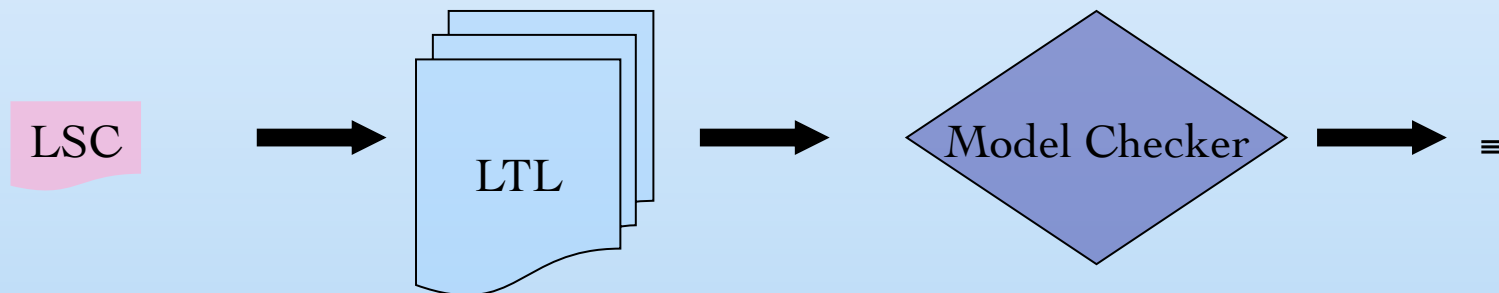
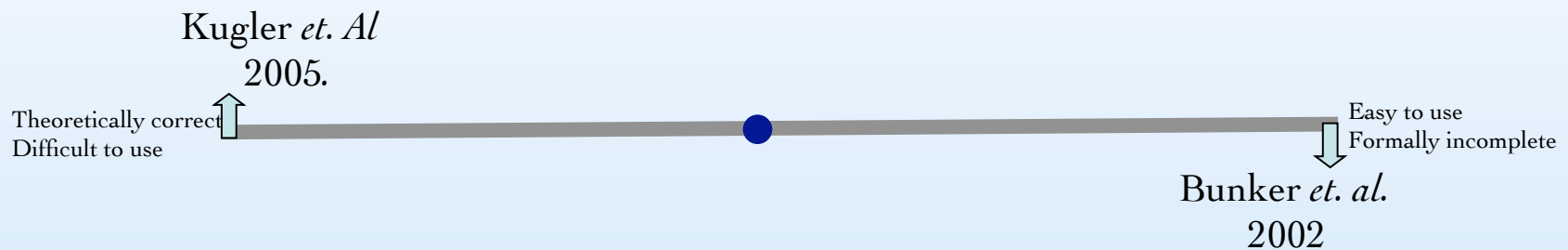
What do we have so far?



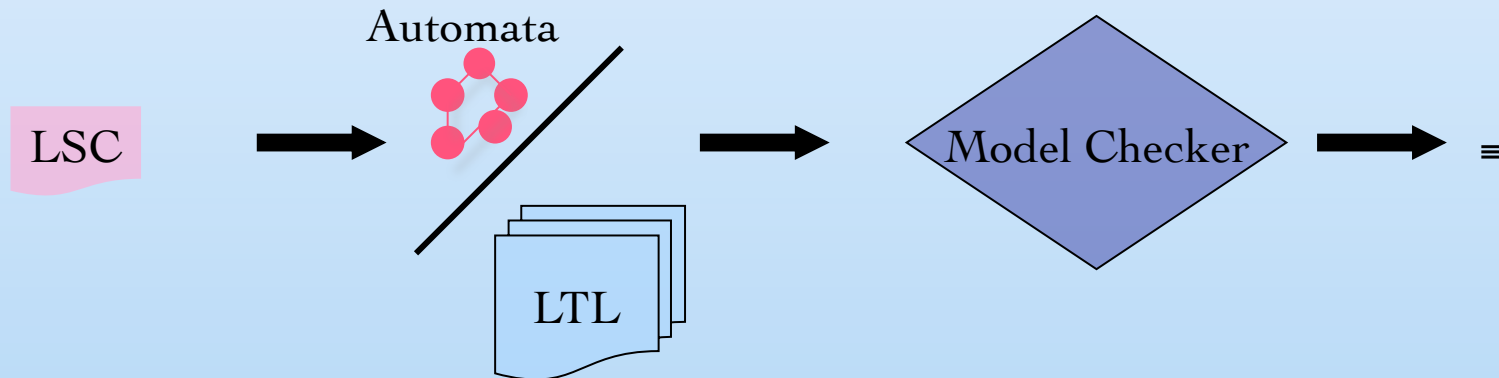
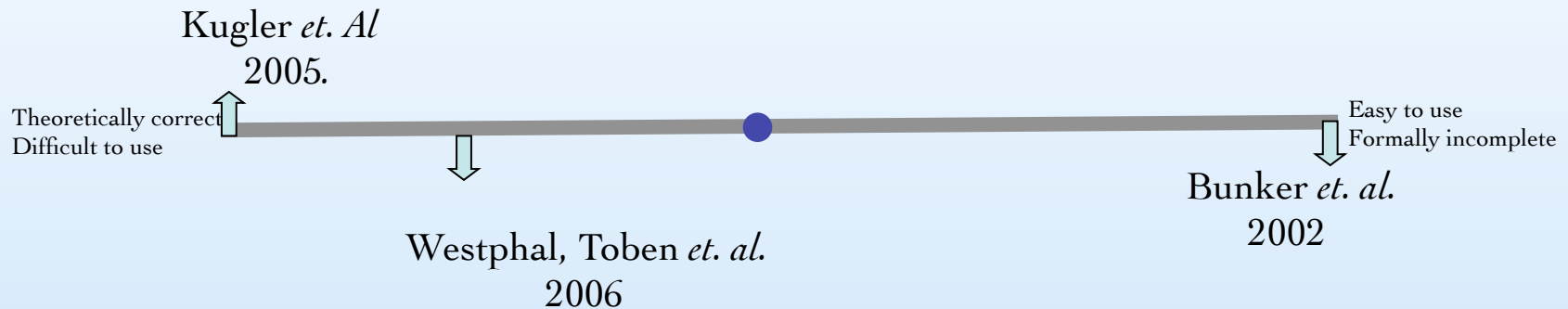
Verification Using Scenarios



Verification Using Scenarios

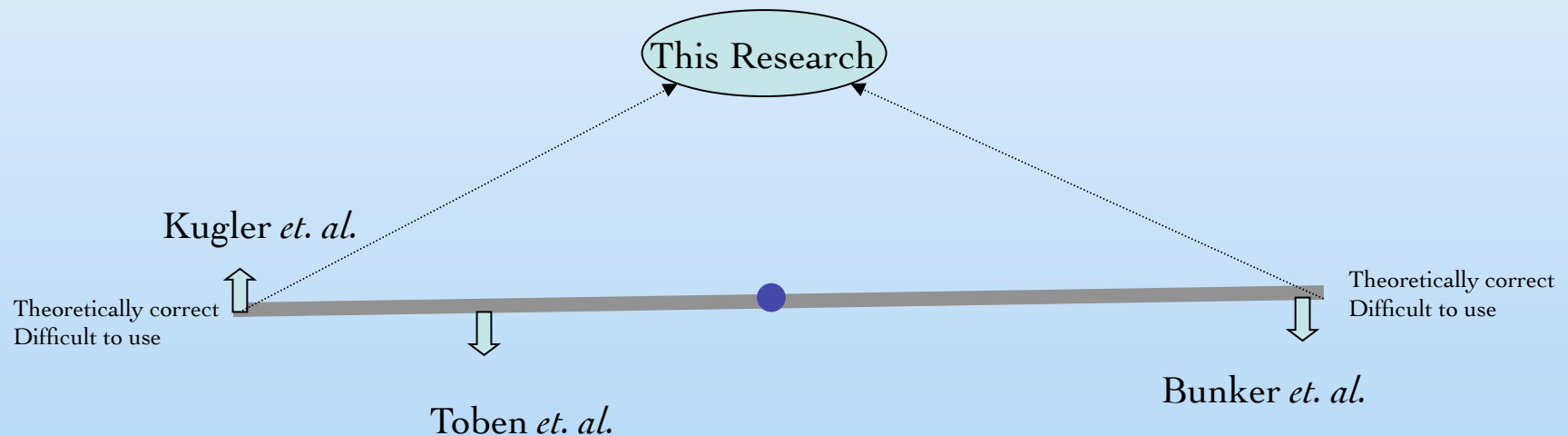


Verification Using Scenarios

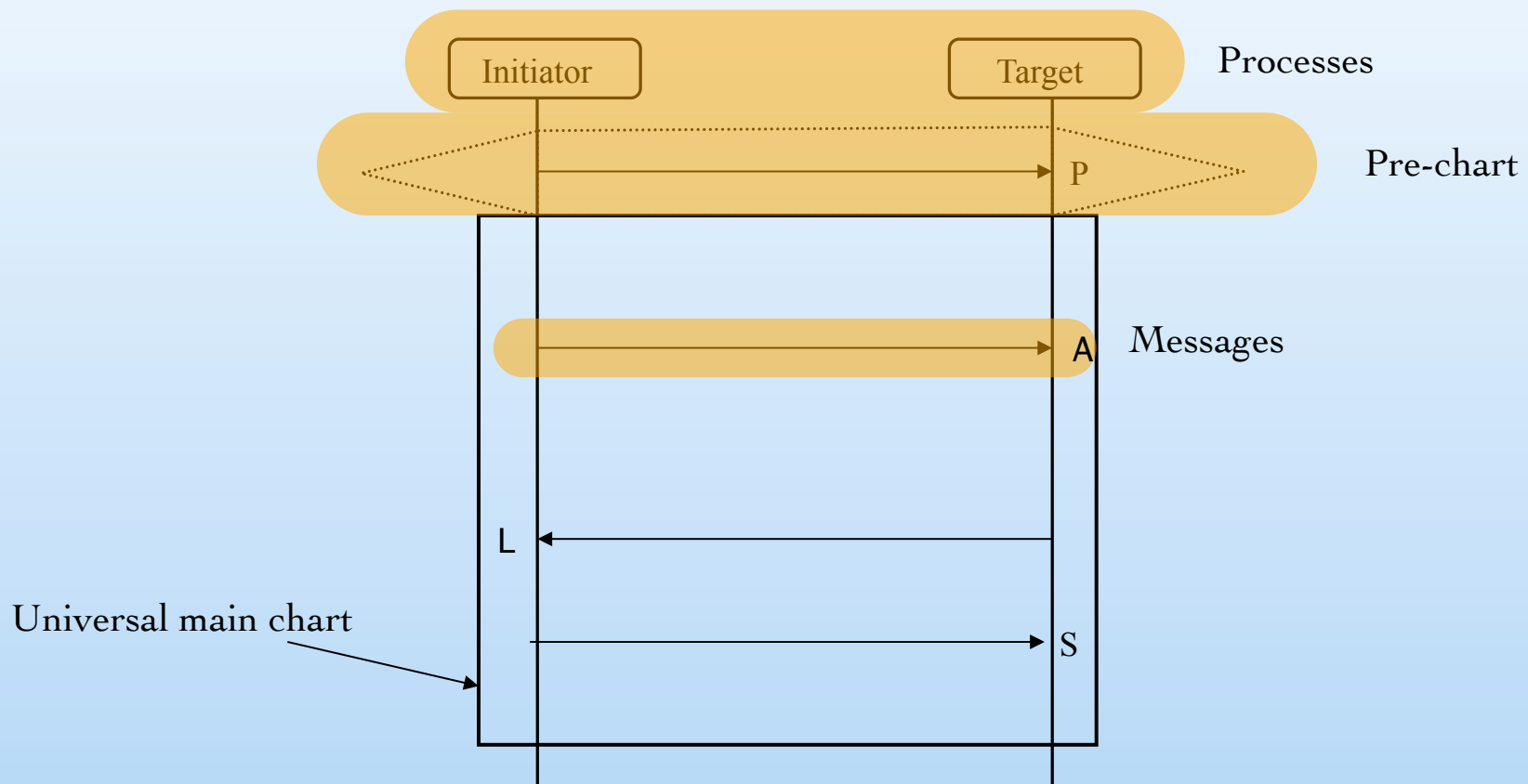


Problems & Solutions

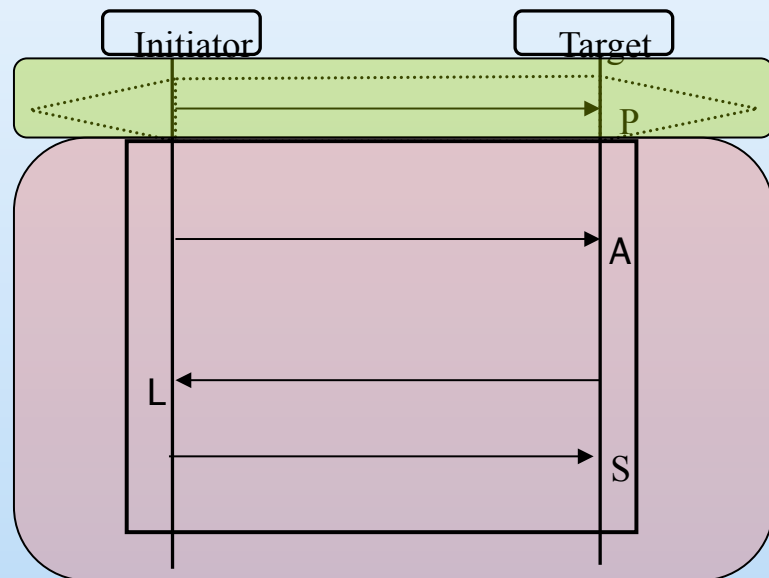
Bridge the gap between graphical specifications and verification methodologies



Live Sequence Charts

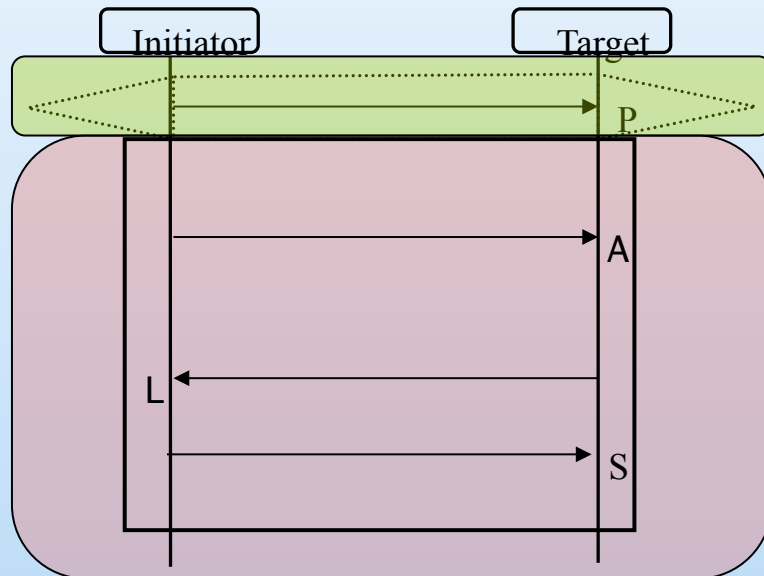


Kugler's Approach



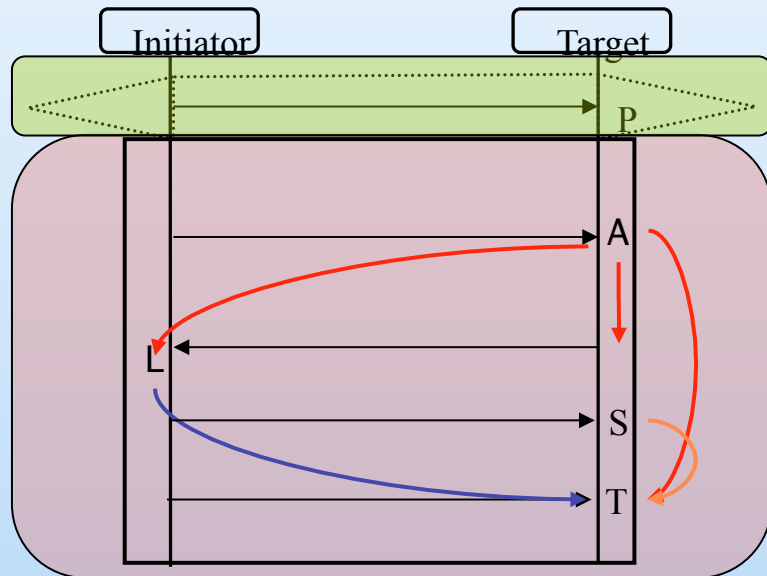
$$G(\textcircled{H}_{\text{pre}} \Rightarrow \textcircled{H}_{\text{main}})$$

Kugler's Approach



$$G(P \Rightarrow \textcircled{H}_{\text{main}})$$

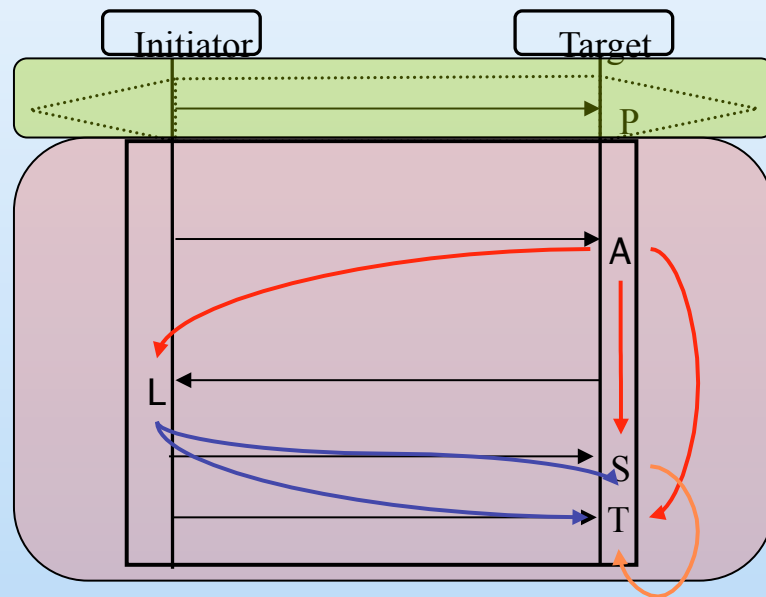
Kugler's Approach - Ordering



$G(P \Rightarrow$

$(\neg L U A) \wedge$
 $(\neg S U A) \wedge$
 $(\neg T U A) \wedge$
 $(\neg S U L) \wedge$
 $(\neg T U L) \wedge$
 $(\neg T U S) \wedge$
 $(F T))$

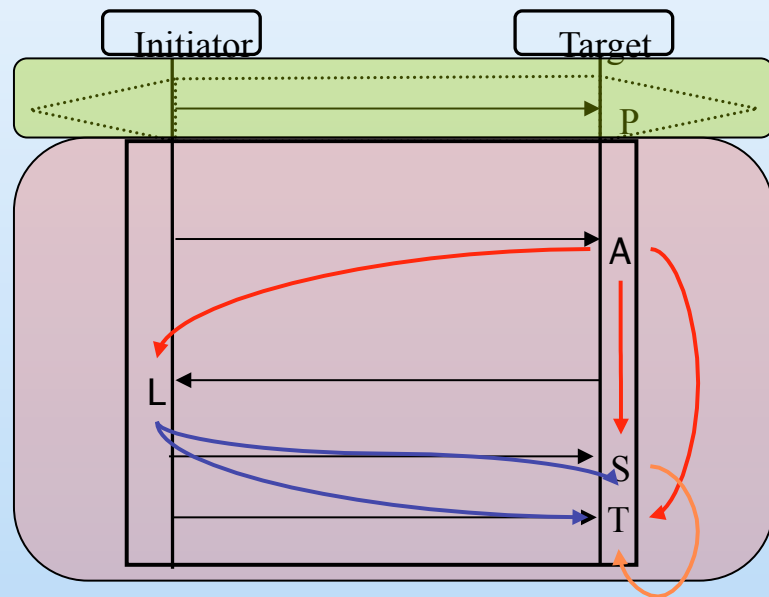
Kugler's Approach - Uniqueness



$$G(P \Rightarrow \neg\chi_{A,L} \wedge \neg\chi_{A,S} \wedge \neg\chi_{A,T} \wedge \\ \neg\chi_{L,S} \wedge \neg\chi_{L,T} \wedge \\ \neg\chi_{S,T})$$

$$\neg\chi_{a,b}: (\neg b \wedge \neg a) U (a \wedge X((\neg b \wedge \neg a) U a))$$

Kugler's Approach - Total



$$G(P \Rightarrow (\neg L \mathbf{U} A) \wedge \neg \chi_{A,L} \wedge \neg \chi_{A,S} \wedge \neg \chi_{A,T} \wedge$$

$$(\neg S \mathbf{U} A) \wedge \neg \chi_{L,S} \wedge \neg \chi_{L,T} \wedge$$

$$(\neg T \mathbf{U} A) \wedge \neg \chi_{S,T} \wedge$$

$$(\neg S \mathbf{U} L) \wedge$$

$$(\neg T \mathbf{U} L) \wedge$$

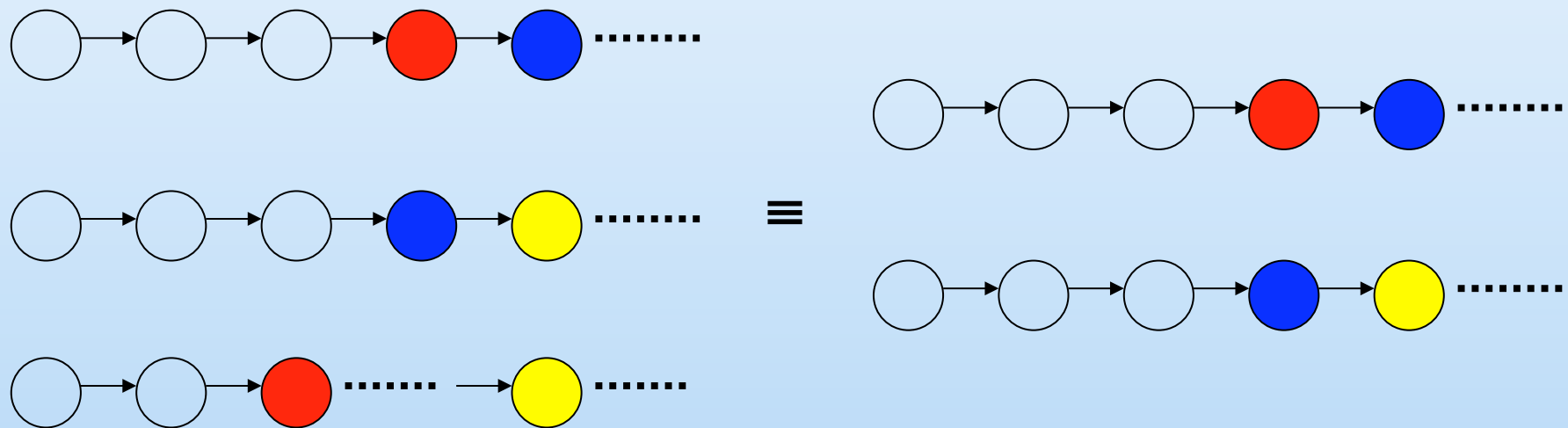
$$(\neg T \mathbf{U} S) \wedge$$

$$(\mathbf{F} T))$$

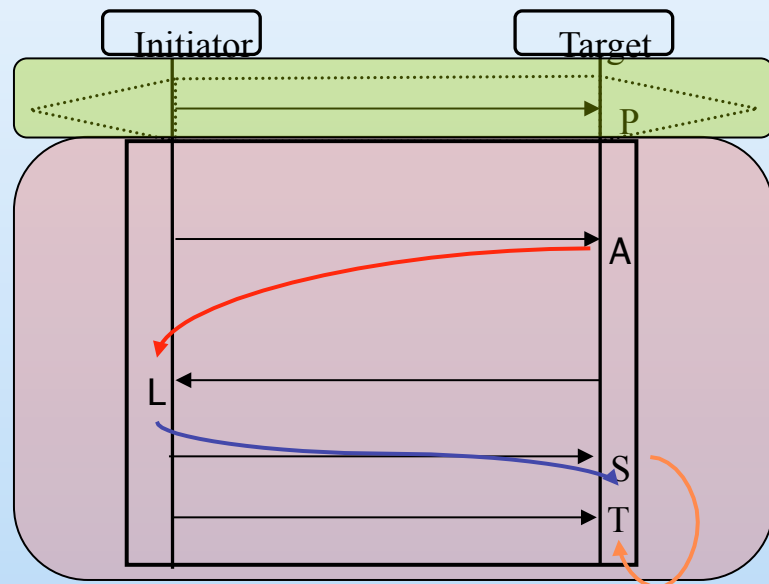
Kugler's Approach - Drawbacks

- Very large formulas for small charts
- LTL to automata fails for large charts
- Verification fails for larger charts/models
- Limited set of LSC constructs translated

Reductions: Until Transitivity



Reductions: Using Until Reduction



$$G(\text{pre} \Rightarrow (\neg L U A) \wedge$$

~~$$(\neg S U A) \wedge$$~~

~~$$(\neg T U A) \wedge$$~~

$$(\neg S U L) \wedge$$

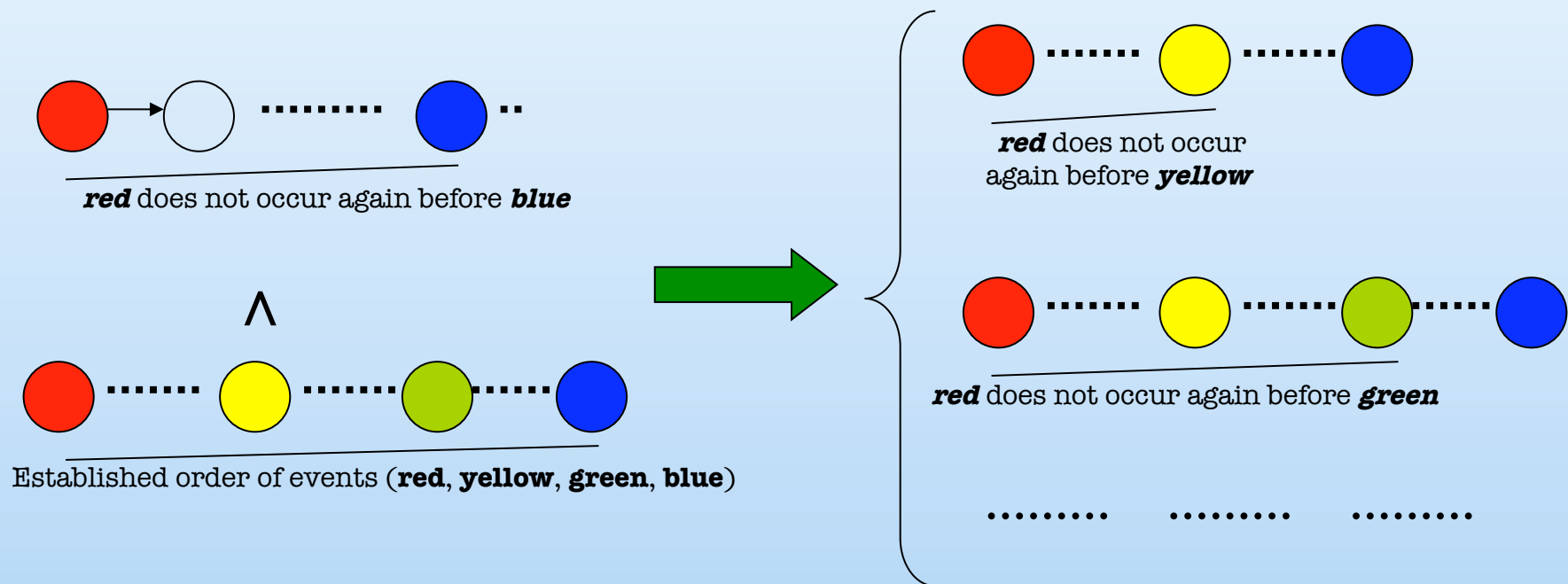
~~$$(\neg T U L) \wedge$$~~

$$(\neg T U S) \wedge$$

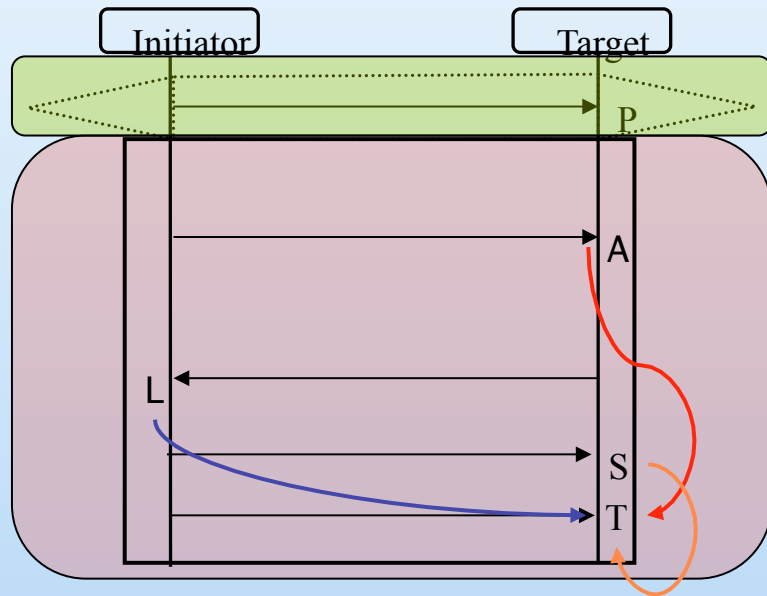
$$(F T))$$

Reductions: Uniqueness

Using Coverage to Specify Uniqueness



Using Uniqueness Reduction

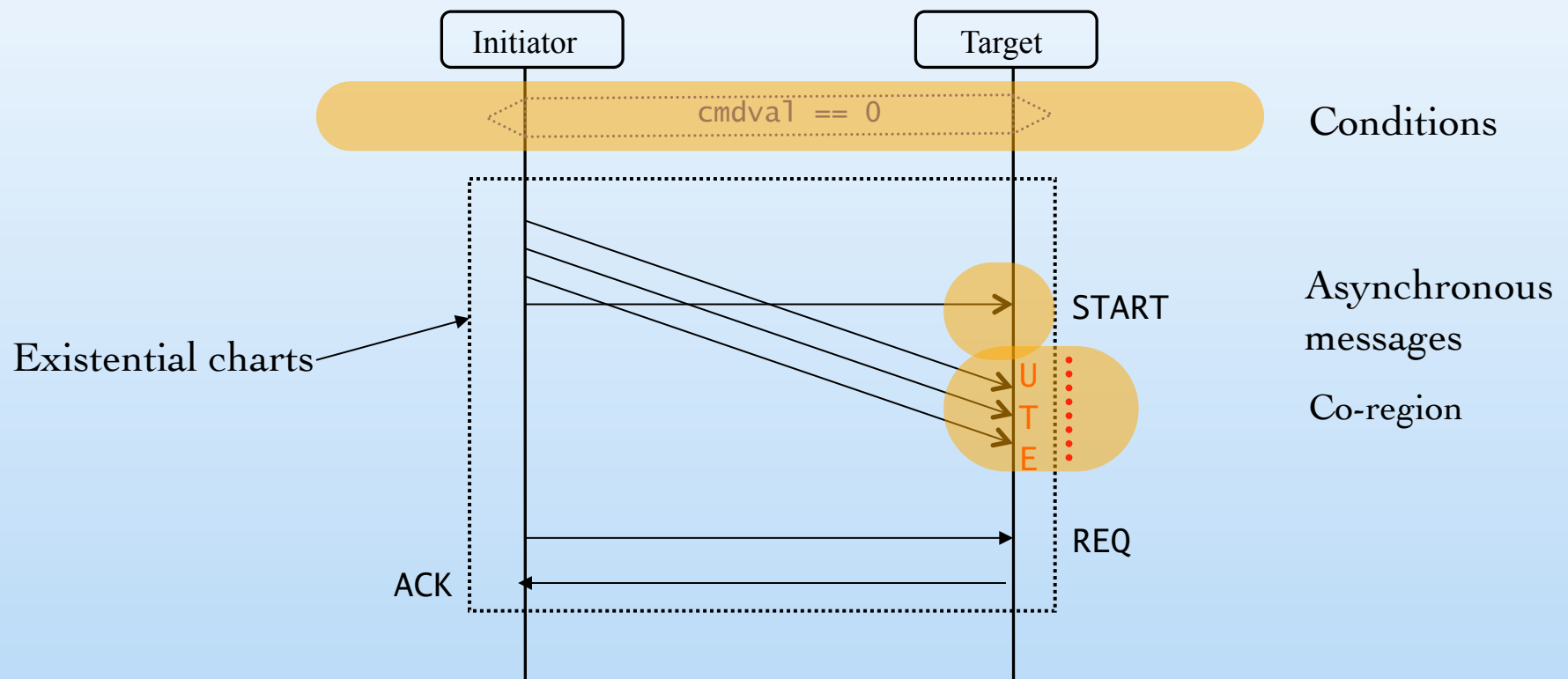


$$G(\text{pre} \Rightarrow \cancel{\chi_{A,L} \wedge} \cancel{\chi_{A,S} \wedge} \chi_{A,T} \wedge$$

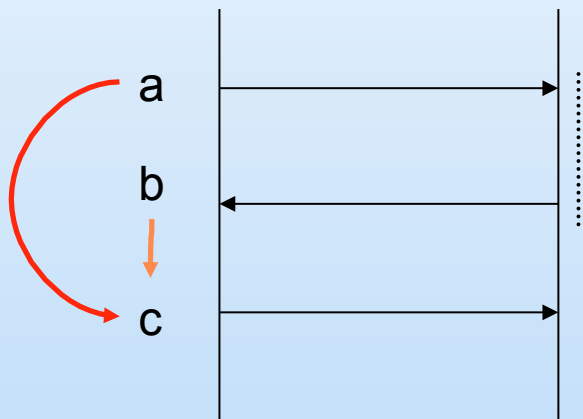
$$\cancel{\chi_{L,S} \wedge} \neg \chi_{L,T} \wedge$$

$$\neg \chi_{S,T})$$

Additional Constructs



Co-regions

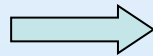
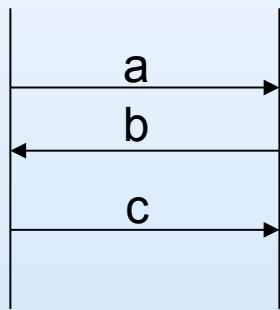


$$(\neg c \ U \ a) \wedge$$

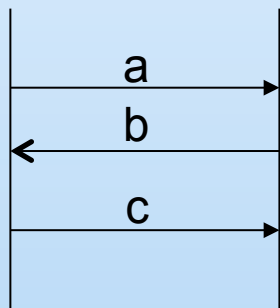
$$(\neg c \ U \ b) \wedge F \ c$$

Force a,b to occur but in any order

Asynchronous Messages

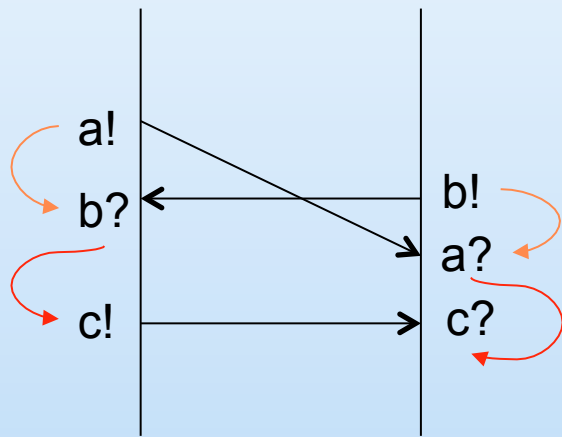


Single letter per message



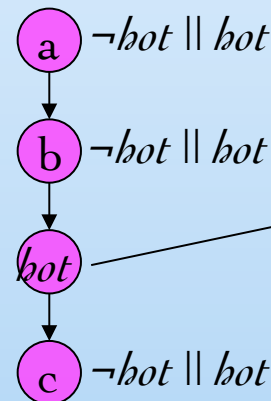
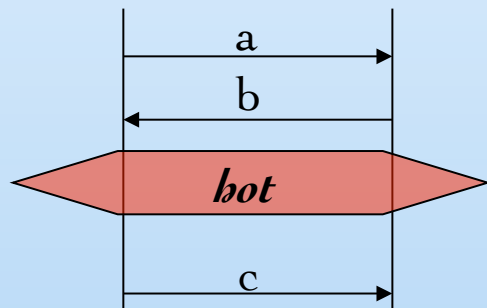
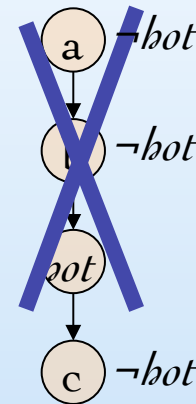
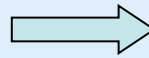
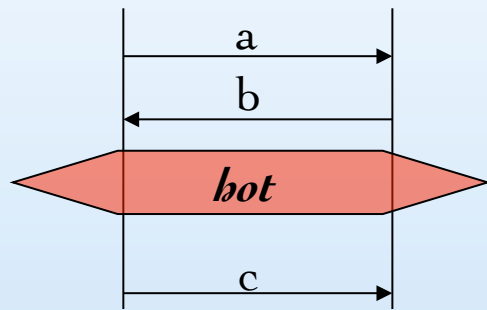
Describe send and receive events

Asynchronous Messages



$(\neg b? \ U \ b!) \wedge (\neg a? \ U \ a!) \wedge (\text{assumption})$
 $(\neg b? \ U \ a!) \wedge (\neg a? \ U \ b!) \wedge$
 $(\neg c? \ U \ a?) \wedge (\neg c! \ U \ b?) \wedge$
 $F \ c? \ \wedge \ F \ c!$

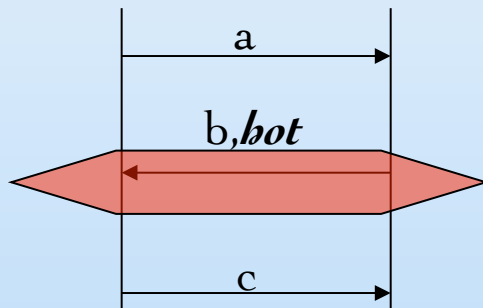
Conditions



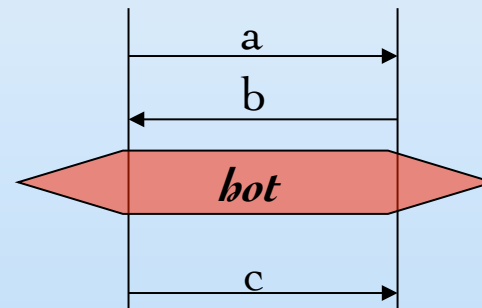
We only care about *hot* here. Open at other locations else!

Conditions

Bonded Conditions



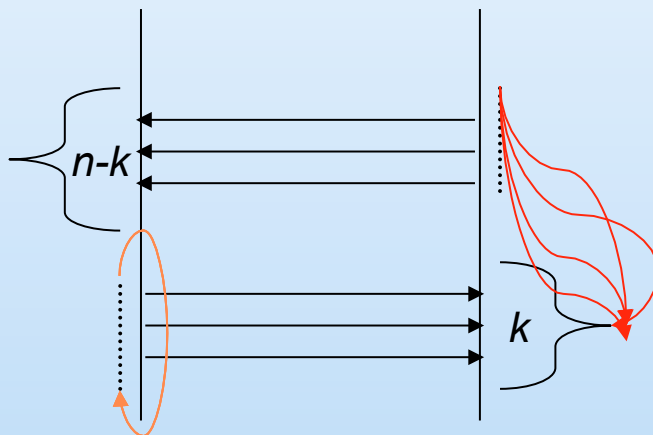
Non-bonded Conditions



Translation undecided

Analysis

Ordering



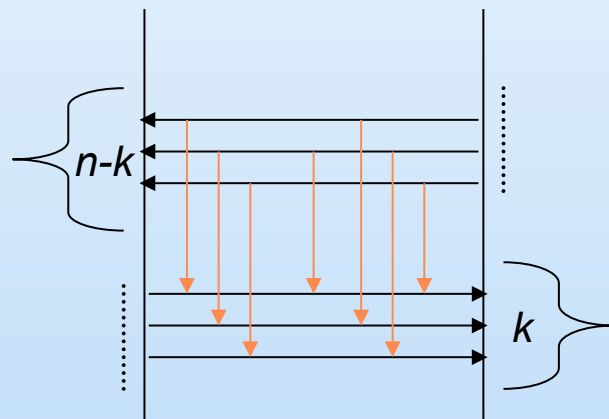
Worst case chart

$n-k$ properties to order first n messages before k messages
 k properties for enforcing occurrence of final k messages

n

Analysis

Uniqueness



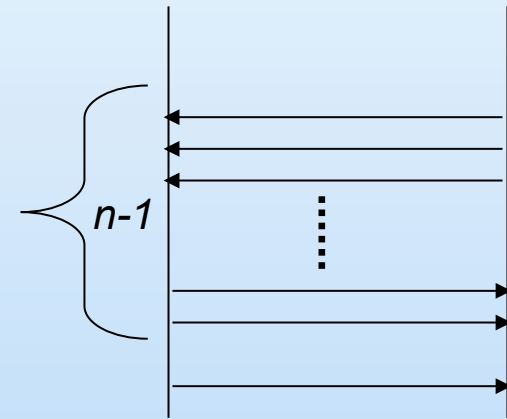
Worst case chart

k properties for each of the n messages
 $(k-1)$ properties for each of the k messages

$$n * k$$

Analysis

For chart of size n & 1 maximal message:
Ordering: n properties
Uniqueness: n properties



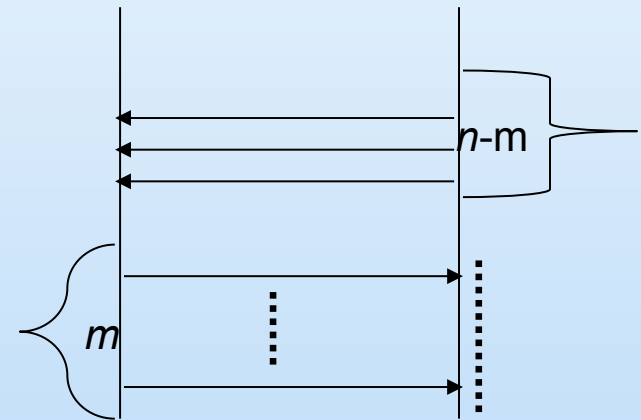
Analysis

Multiple maximal messages (m):

Ordering: n

Uniqueness: $n * m$

As $m \rightarrow n$, formula becomes quadratic

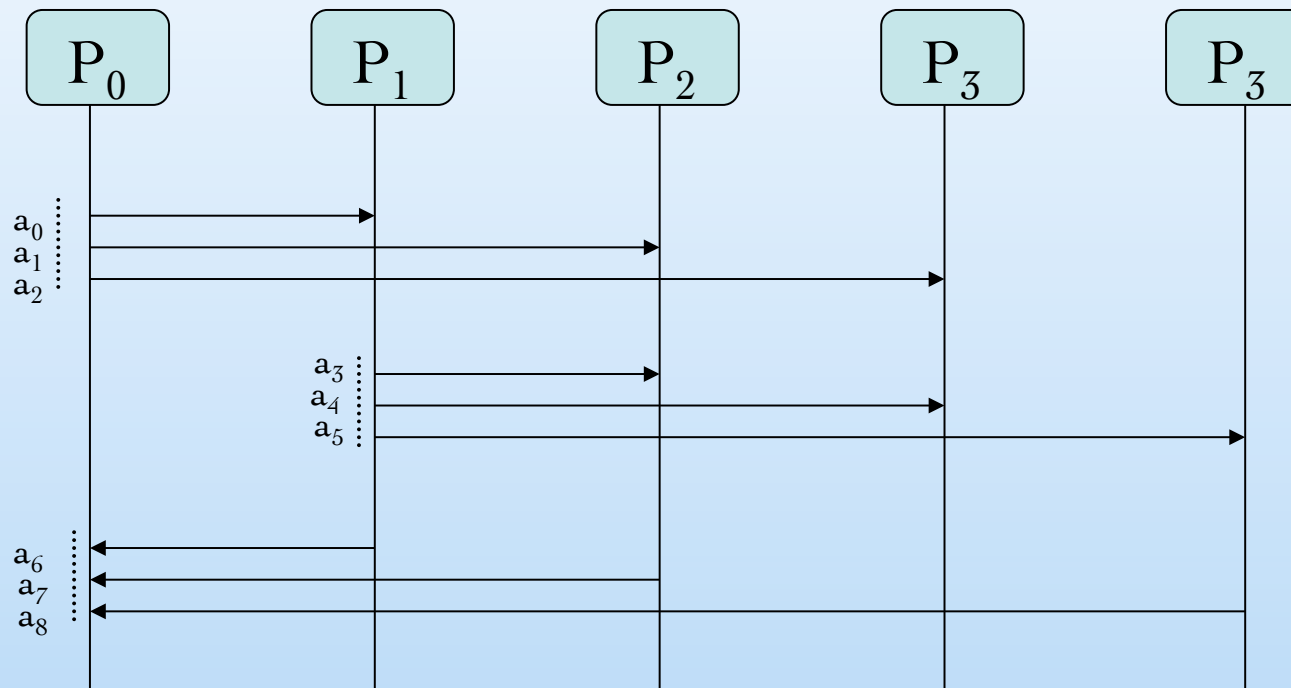


Theoretical Results

- Ordering in linear properties
- Uniqueness in sub-quadratic properties
- Translation at *most* as opposed to at *least* quadratic
- Additional constructs
 - Existential charts
 - Co-regions
 - Asynchronous messages
 - Invariants and bonded conditions

Experiments - Specifications

A3 specification



Other specifications with 5-7 messages

Experiments - Models and Verifiers

- Models
 - Promela models with simple message passing
 - Puzzle models followed by messages
 - “_e” models contain errors in main chart
- SPIN and NuSMV for model checking
- LTL2BA: explicit state automata generation

Empirical Results - LTL2BA

Specification	Messages		Kugler's Translation		Improved Translation	
	Total Messages	Maximal Messages	Size	Time (s)	Size	Time (s)
SpecA	5	1	209	59	109	1
SpecB	5	2	175	428	142	2
SpecC	7	2	LTL2BA DNF		139	2

Empirical Results - SPIN

Specification	Model	Kugler's Translation		Improved Translation	
		States	Time (s)	States	Time (s)
SpecB	SysA	2612	0.02	2158	0.02
	SysA_e	2446	0.07	1965	0.06
SpecC	SysB	-	-	4175	0.03
	SysB_e	-	-	4589	0.12
A2	Soko	3847560	104	1557700	36
	Soko_e	1479320	32	620902	12
A3	Soko	-	-	2840220	69
	Soko_e	-	-	1031970	22

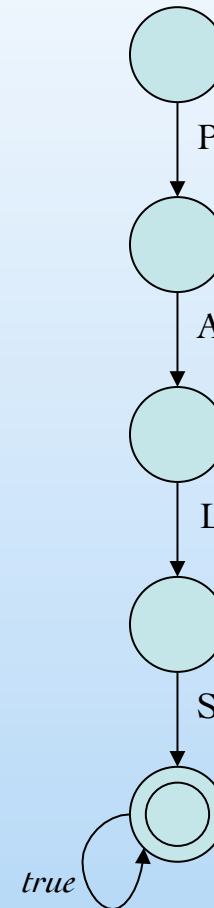
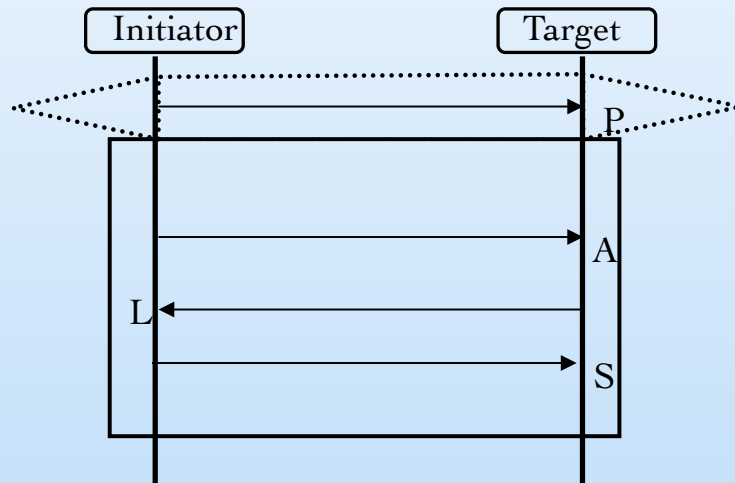
Empirical Results - NuSMV

Specification	Model	States	Kugler's Time (s)	Improved Time (s)
A2	bridge	76992	14	5
	Abp4	2236420	30	11
	Bridge_e	76992	29	13
	Abp4_e	2236420	76	27
A3	bridge	76992	22	8
	abp4	2236420	59	20
	Bridge_e	76992	56	20
	Abp4_e	2236420	146	50
A4	bridge	76992	49	11
	abp4	2236420	174	29
	Bridge_e	76992	132	26
	Abp4_e	2236420	337	67
A5	bridge	76992	175	26
	abp4	2236420	555	73
	Bridge_e	76992	509	56
	Abp4_e	2236420	1271	131

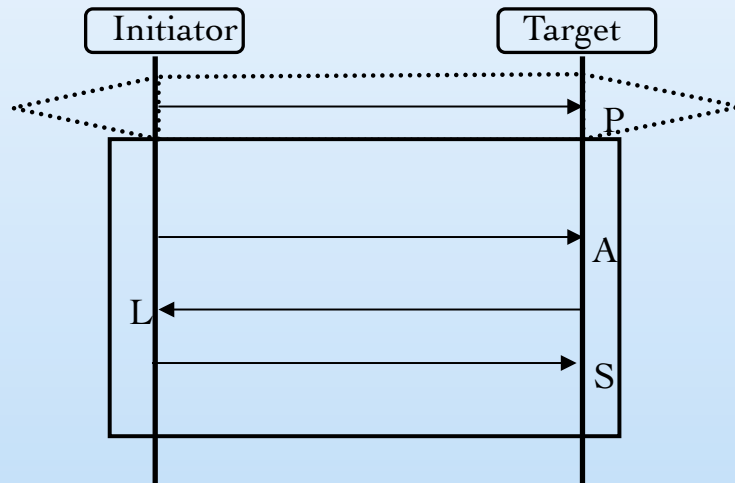
Conclusions

- Reductions produce vast improvement
- Scalability still limited in explicit state
- Translating constructs can be difficult
- Is this translation minimal?
- What about LSC to automata?

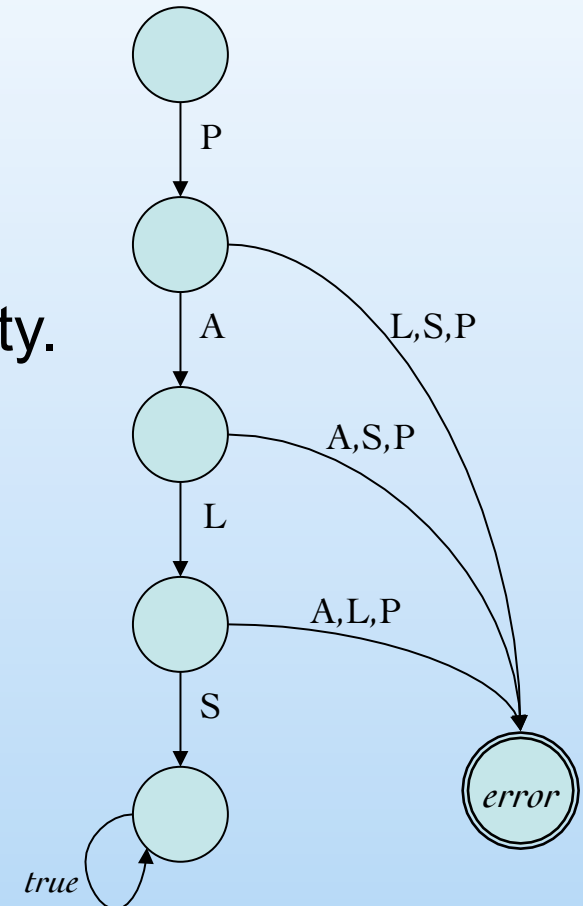
LSC To Automata: Traditional Method



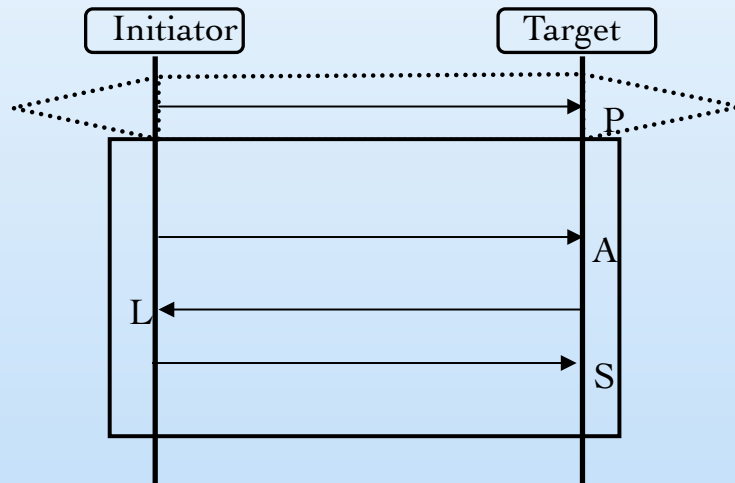
LSC To Automata: Reachability



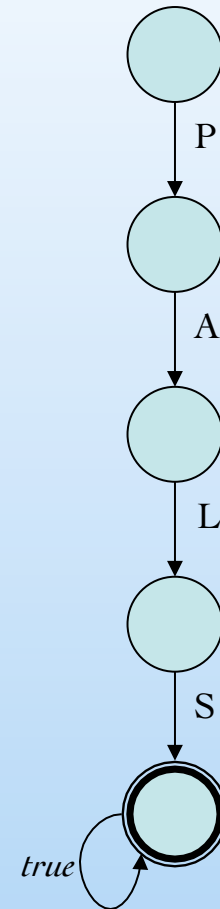
Verify safety.



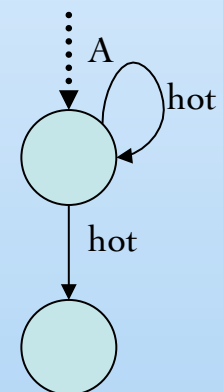
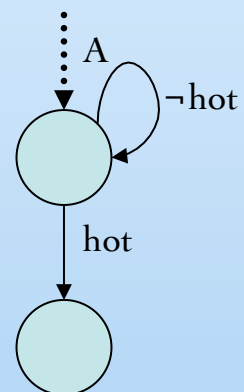
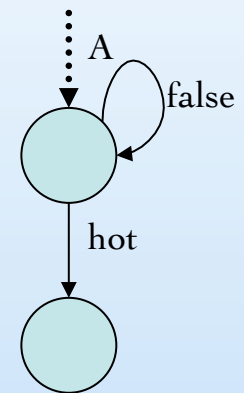
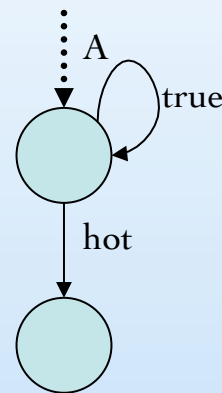
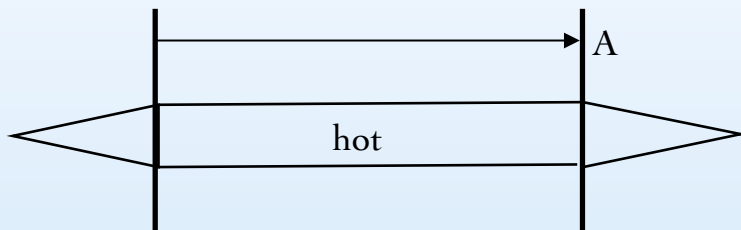
LSC To Automata: Liveness



Verify $AGAF(\text{fair})$
to enforce progress



LSC to Automata: Conditions

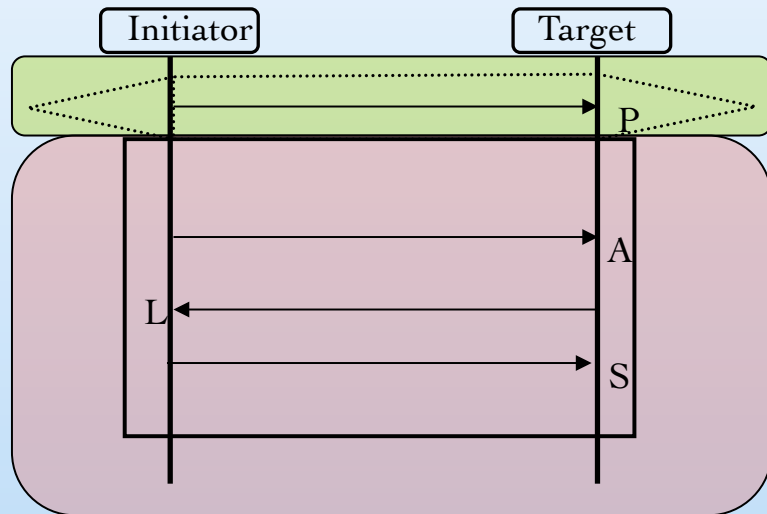


How do you detect errors without introducing non-determinism?

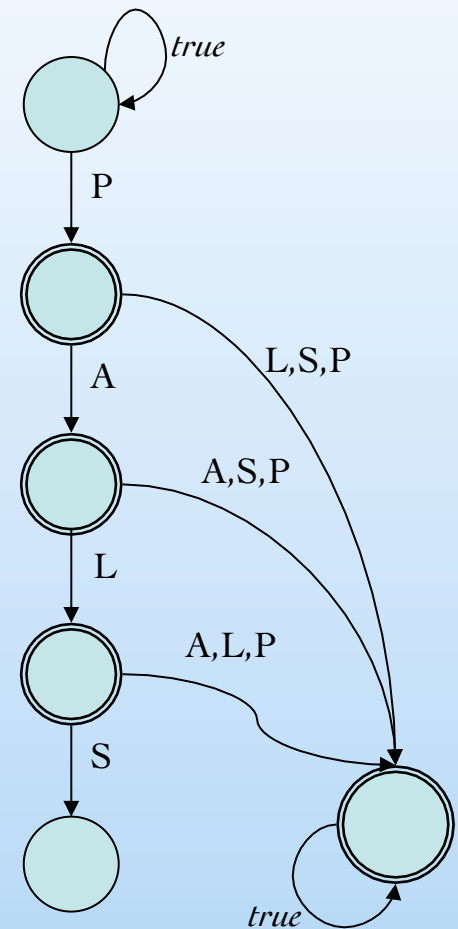
Drawbacks

- Safety and progress checking performed in two separate runs
- Non-determinism because of conditions
- Undecided semantics of conditions

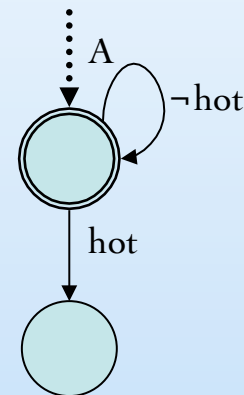
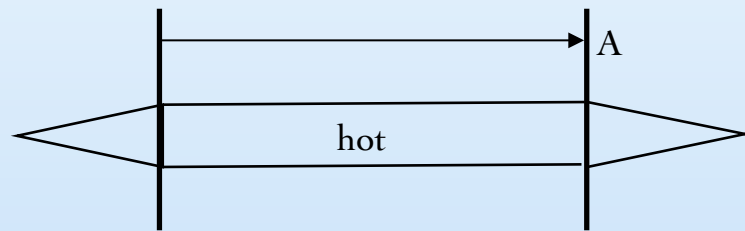
New Solution



Safety and Liveness
in one run by verifying
EGEF(error)



Conditions in New Solution



Placement of error state fixes the problem of non-determinism as well as detecting errors!



Advantages

- One shot verification using LSCs
- All constructs supported
- No non-determinism
- More error states means faster detection of errors in system
- Simple unwinding algorithm